

'Analogy' (pub. 06.01.13-19:35). Quote in M. Bergman & S. Paavola (Eds.), *The Commens Dictionary: Peirce's Terms in His Own Words. New Edition*. Retrieved from <http://www.commens.org/dictionary/entry/quote-natural-classification-arguments>.

**Term:** Analogy

**Quote:** The formula of analogy is as follows:-

$S'$ ,  $S''$ , and  $S'''$  are taken at random from such a class that their characters at random are such as  $P'$ ,  $P''$ ,  $P'''$ .

$t$  is  $P'$ ,  $P''$ , and  $P'''$ .

$S'$ ,  $S''$ , and  $S'''$  are  $q$ ;

$\therefore t$  is  $q$ .

Such an argument is double. It combines the two following:-

1

$S'$ ,  $S''$ ,  $S'''$  are taken as being  $P'$ ,  $P''$ ,  $P'''$ .

$S'$ ,  $S''$ ,  $S'''$  are  $q$ .

$\therefore$  (By induction)  $P'$ ,  $P''$ ,  $P'''$  is  $q$ .

$t$  is  $P'$ ,  $P''$ ,  $P'''$ .

$\therefore$  (Deductively)  $t$  is  $q$ .

2

$S'$ ,  $S''$ ,  $S'''$  are, for instance,  $P'$ ,  $P''$ ,  $P'''$ .

$t$  is  $P'$ ,  $P''$ ,  $P'''$ ;

$\therefore$  (By hypothesis)  $t$  has the common characters of  $S'$ ,  $S''$ ,  $S'''$ .

$S'$ ,  $S''$ ,  $S'''$  are  $q$ .

$\therefore$  (Deductively)  $t$  is  $q$ .

Owing to its double character, analogy is very strong with only a moderate number of instances.

**Source:** Peirce, C. S. (1867). On the Natural Classification of Arguments. *Proceedings of the American Academy of Arts and Sciences*, 7, 261-287.

**References:** W 2:46-47; CP 2.513

**Date of** 1867

**Quote:**

**URL:** <http://www.commens.org/dictionary/entry/quote-natural-classification-arguments>